



# Sun-like oscillators (asteroseismology+interferometry) *and* Metal-poor stars

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# VEGAS

Determination of stellar parameters and interior structure through stellar modelling using constraints from angular diameters

Radius

Effective temperature

# Scientific drivers

Determining masses and ages of single stars and testing input physics in stellar models

-> stars

-> planets

-> Galaxy

structure, formation, evolution

# VEGAS

1. More precision for brighter stars

2. Fainter magnitudes

# VEGAS

1. More precision for brighter stars  
+ Gaia distances!!

2. Fainter magnitudes

# Outline

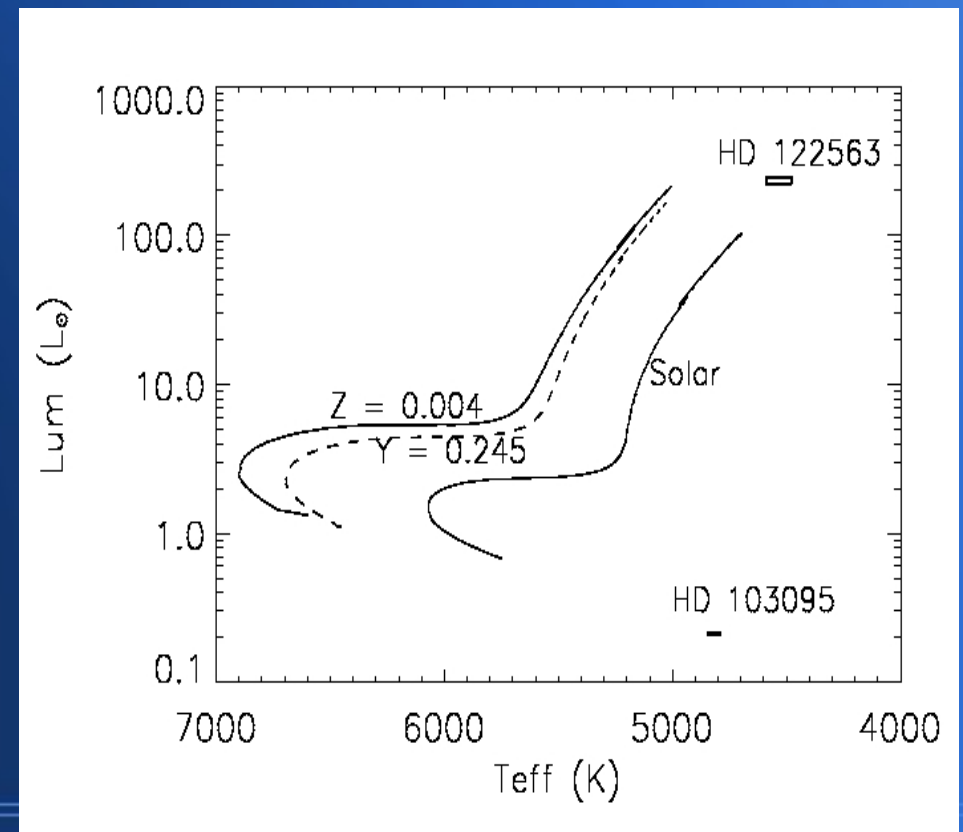
1. Metal-poor stars
2. Sun-like oscillators

# Metal-poor stars

Oldest stars – carry information about early conditions of Galaxy/Universe

“Difficult” to model and  $T_{\text{eff}}$  not well established

Interesting constraints on models (age,  $Y_i$ ,  $M$ )

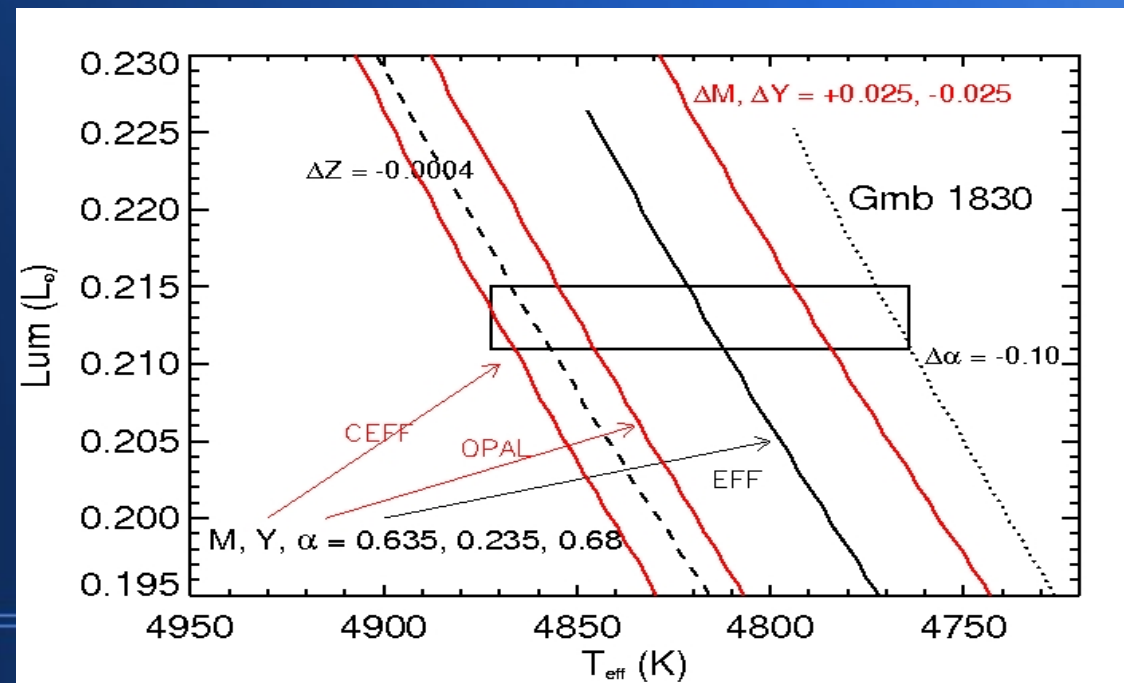


# Gmb 1830

Angular diameter provides very precise  $T_{\text{eff}}$ :

- 1) Test input physics
- 2) Mixing-length parameter

Creevey et al. 2012: the 'small' error box in the HR diagram for Gmb1830, allows us nearly to distinguish between different equations of state, and a very precise determination of the mixing-length parameter.





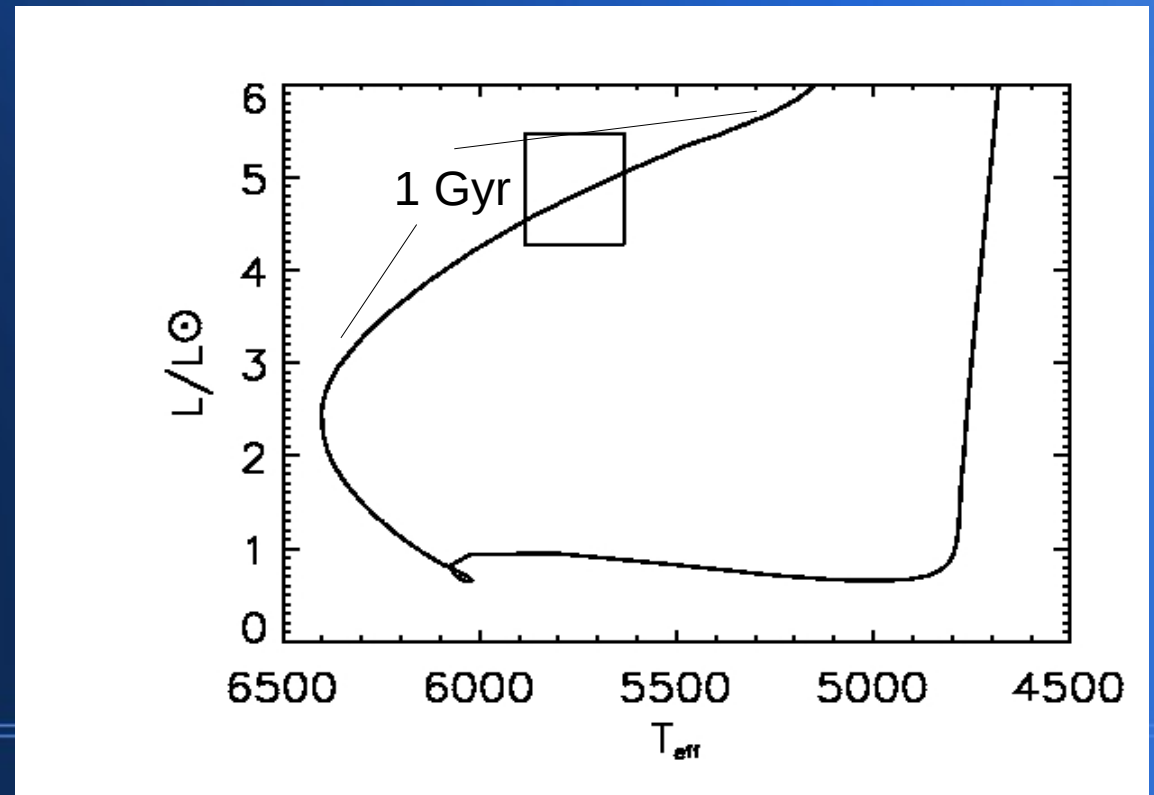
# HD 140283 (V=7.2)

Going to the limits of VEGA  $V \sim 7.2$  we determine  $T_{\text{eff}}$  but with  $\sigma(T_{\text{eff}}) = 127$  K. This is similar to photometric/spectroscopic errors, although we know its accurate :)

With VEGAS we can reduce this error bar

# HD 140283 (V=7.2)

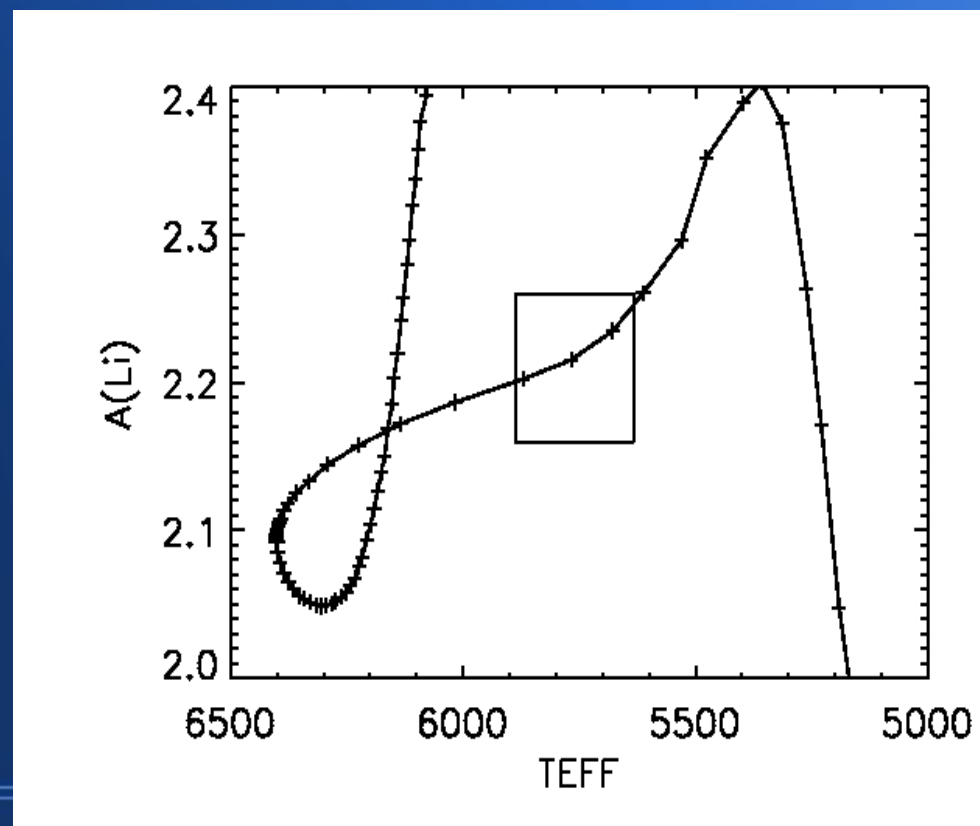
Creevey, Thévenin et al. in prep: Location of star in HR diagram, where the  $T_{\text{eff}}$  provides very tight constraints on its age and the mixing-length parameter. With VEGAS we could improve these.



# HD 140283 (V=7.2)

Tighter constraints on  $T_{\text{eff}}$  provides critical input for spectroscopic analyses to determine high precision abundances.

Creevey et al in prep.: evolution track of the surface Li abundance, after modifying initial chemical mixture. We match the observed Li. With smaller errors we could refine this analysis and discard different 'diffusion scenarios'



# Outline

1. Metal-poor stars
2. Sun-like oscillators

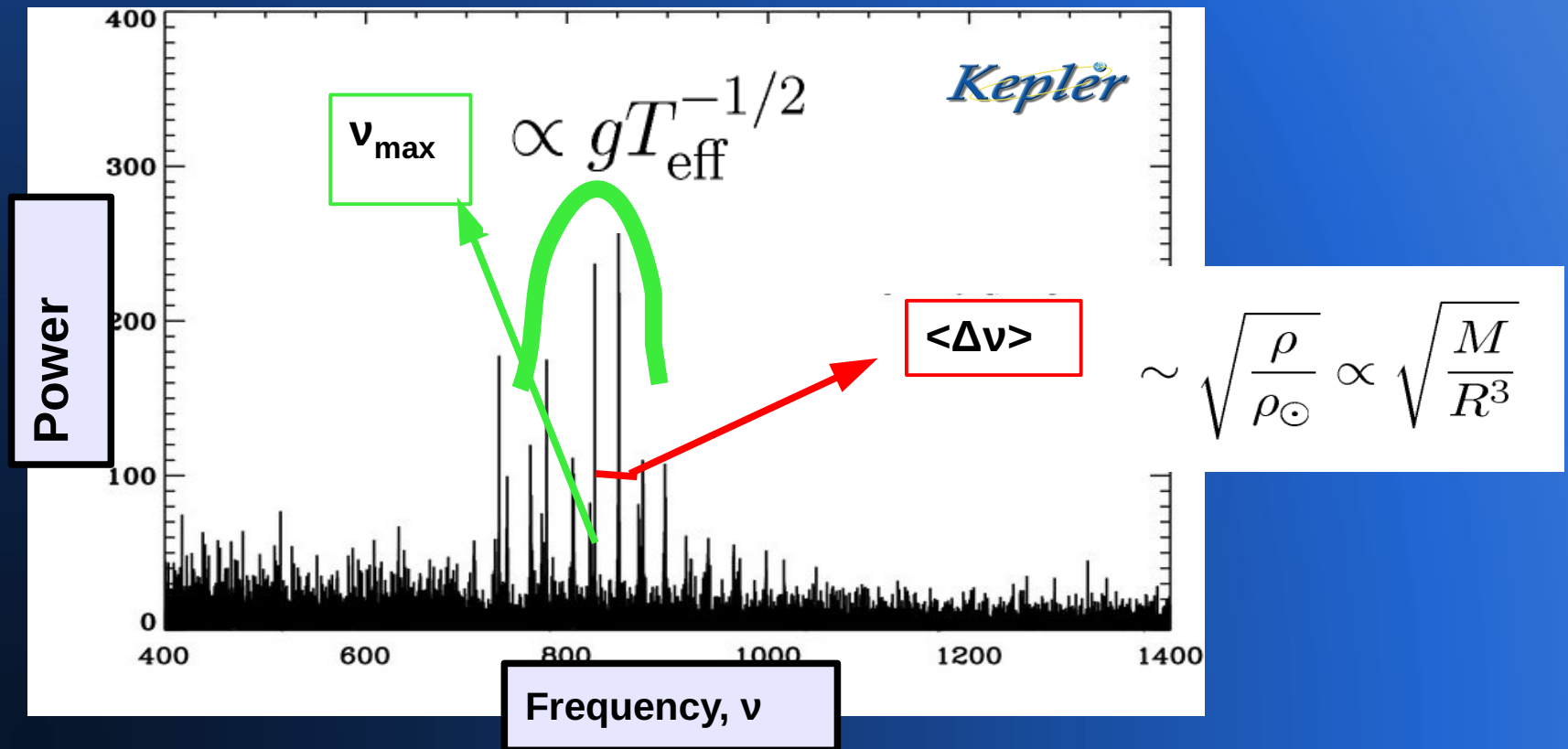
# Sun-like oscillators

Radius from interferometry,  $\langle \Delta \nu \rangle$  from  
asteroseismology  $\Rightarrow$  Mass

Seismic  $\log g$  + Interferometric  $T_{\text{eff}}$

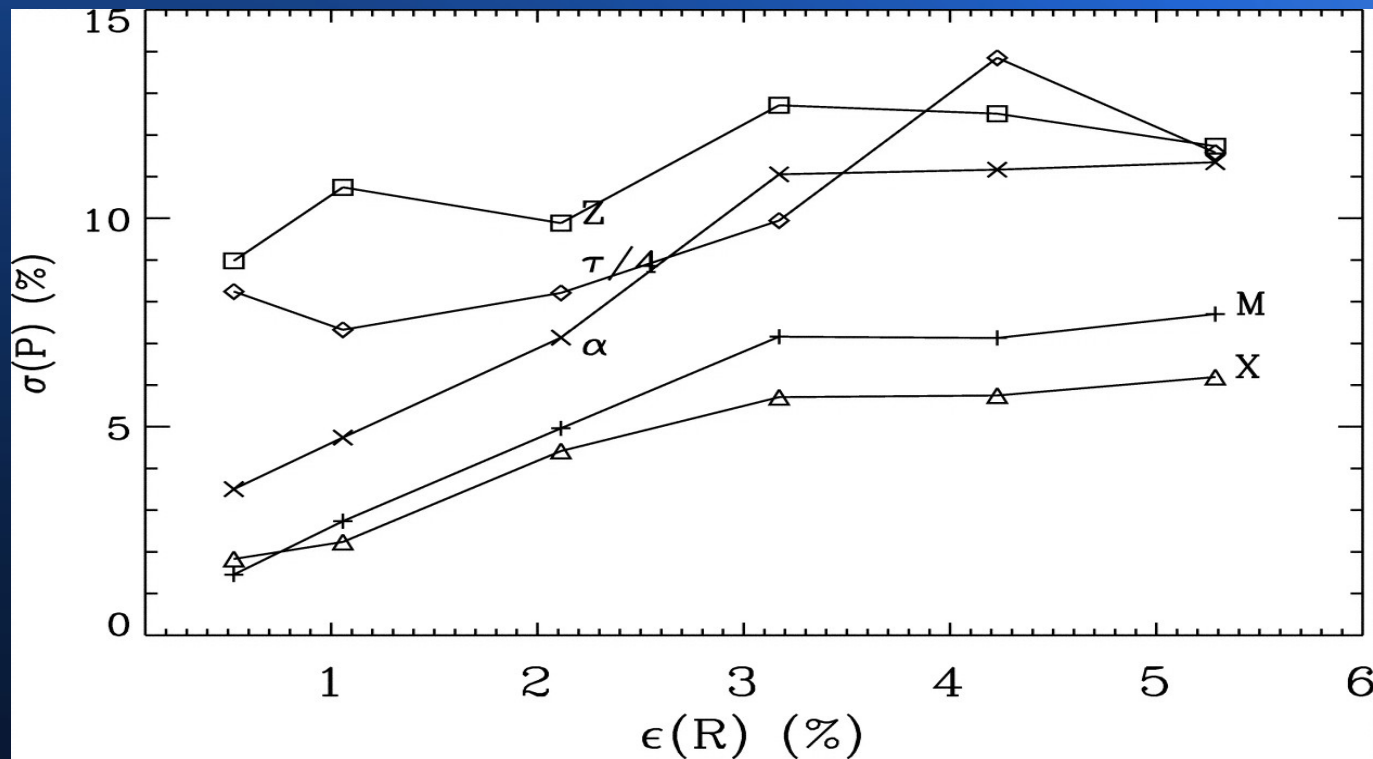
- > mixing-length parameter
- > spectroscopic models (NLTE)
- > abundances

# Sun-like oscillations



Mathur et al. 2011 (V=11)

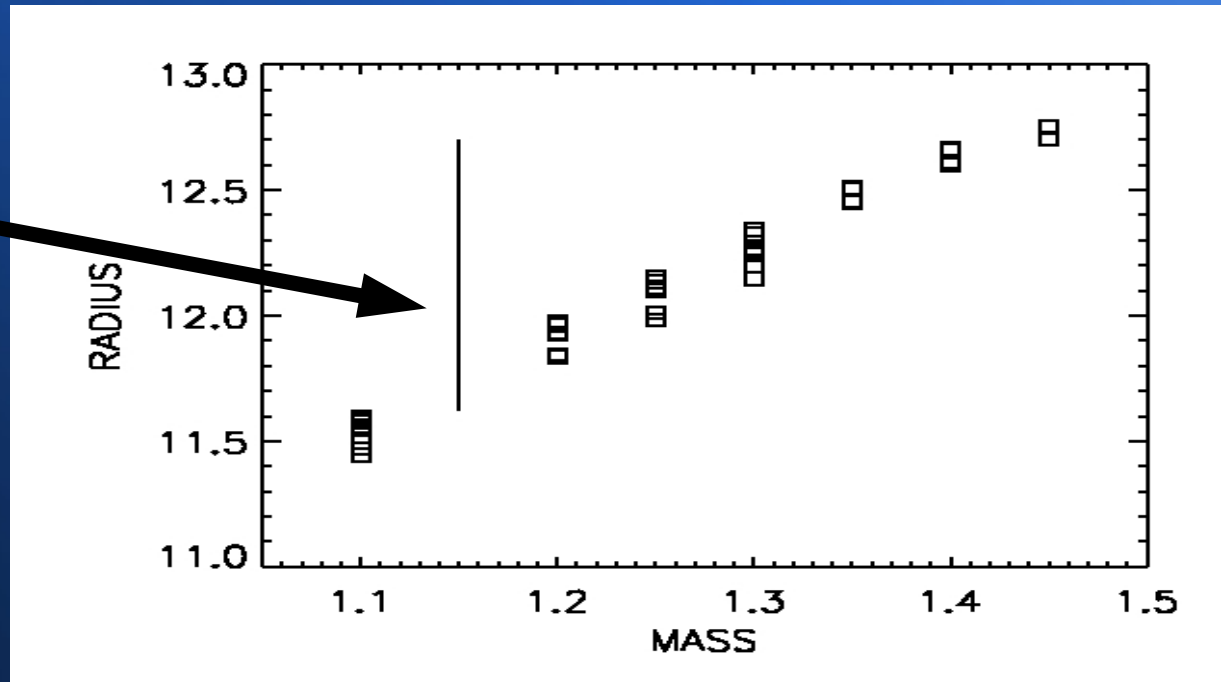
# Determining mass



Creevey et al. 2007: the determination of stellar parameters (M = mass, X = hydrogen,  $\tau$  = age, Z = metallicity,  $\alpha$  = mixing-length parameter, when we use seismic data as constraints and a radius from interferometry with different precisions.

# CoRoT red giant: HR 7349

Interferometric  
Radius

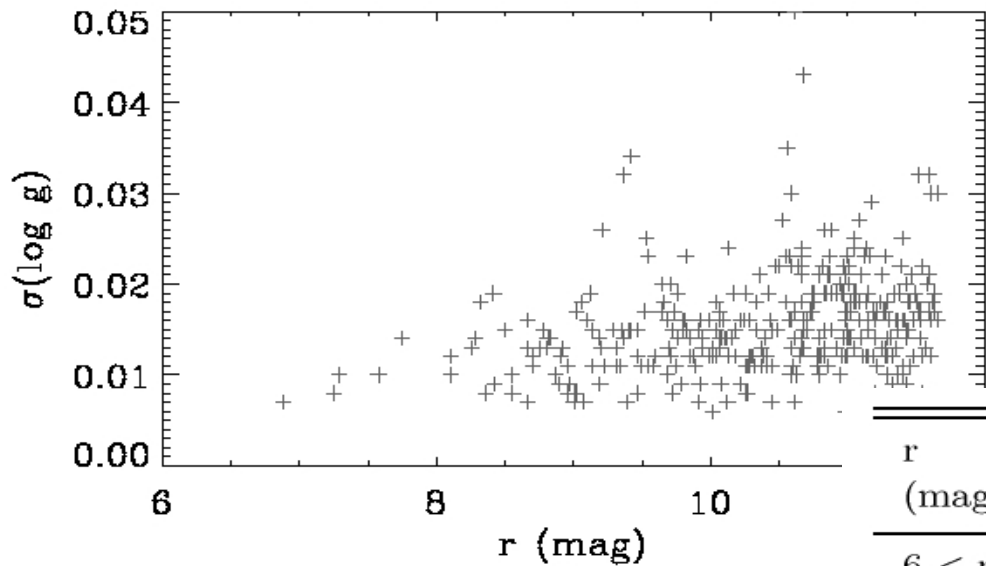


Creevey, Bigot, Provost et al. in prep: Mass and radius of the best-fitting models from an asteroseismic analysis. A smaller error in the interferometric radius would allow us to narrow down the mass range. Note that the error bar on the radius includes a contribution from the error on the parallax, which will also reduce when both Gaia and VEGAS deliver!



# Constraining log g

Creevey et al. 2013



$r$ (mag)	$\langle \sigma \rangle$ (dex)	$\langle s_{\text{Teff}} \rangle$ (dex)	$\langle s_{[\text{Fe}/\text{H}]} \rangle$ (dex)	$\langle s_{\text{code}} \rangle$ (dex)
$6 < r < 9$	0.012	0.004	0.014	0.005
$9 < r < 10$	0.014	0.004	0.009	0.004
$10 < r < 11$	0.016	0.009	...	0.006
$11 < r < 12$	0.017	0.009	...	0.006
$6 < r < 12$	0.015	0.01	0.02	0.01

Uncertainties and systematics in 'seismic log g' for 400+ Kepler stars

$$\text{Int} + A_{\text{st}} = \text{Log } g + T_{\text{eff}}$$

1. Spectroscopic analyses: better abundances
2. Improving atmosphere models
3. NLTE effects (esp. metal-poor stars)

Having access to fainter targets with VEGAS means increasing the sample size significantly. Many fainter stars have been measured seismically with CoRoT and Kepler.

# Mixing-length parameter

Mixing-length parameter  $\alpha$  in stellar models is an adjustable parameter, but many use the solar-calibrated value. Bonaca et al. (2012) studied a large sample of Kepler stars and derived the formula:

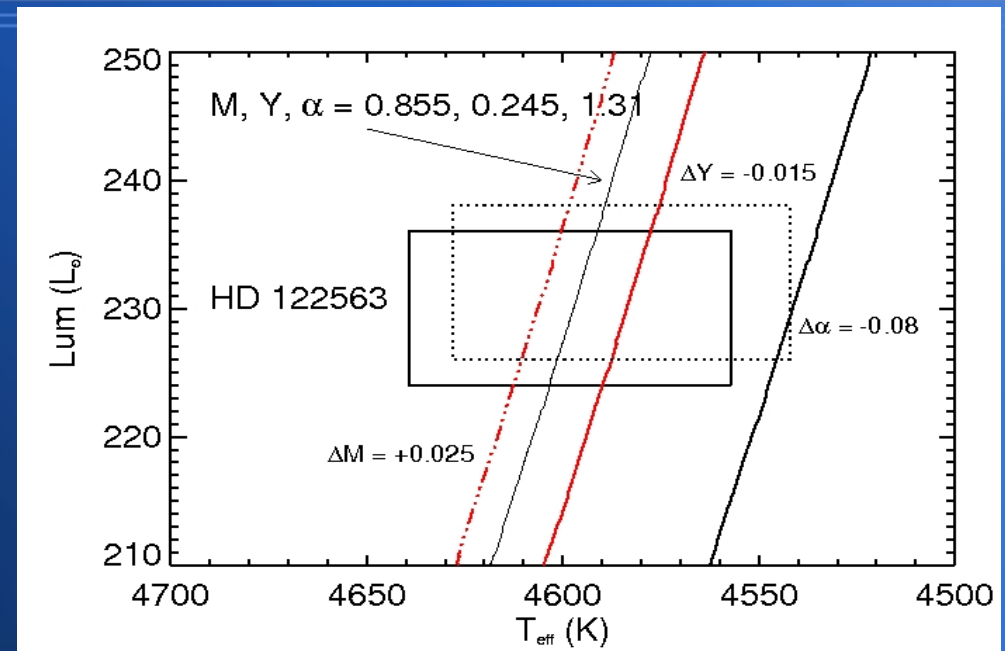
$$\alpha = a + b \log g + c \log T_{\text{eff}} + d[\text{M}/\text{H}].$$

	Trilinear Analysis			
	All data		$\log g \geq 3.8$	
	fitted-value	$p$	fitted-value	$p$
$a$	$7.97 \pm 0.27$	0.010	$-12.77 \pm 2.91$	$6.8 \times 10^{-5}$
$b$	$-0.31 \pm 0.09$	0.002	$0.54 \pm 0.11$	$1.7 \times 10^{-5}$
$c$	$-1.33 \pm 0.80$	0.102	$3.18 \pm 0.69$	$3.3 \times 10^{-5}$
$d$	$0.48 \pm 0.12$	$2 \times 10^{-3}$	$0.52 \pm 0.07$	$4.5 \times 10^{-9}$

# Mixing-length parameter

Creevey et al. 2012b

Interferometry of metal-poor stars using VEGA, Classic, FLUOR @ CHARA allowed us to well determine  $\alpha$ .



We compare our detailed modelling results with Bonaca et al. formula.

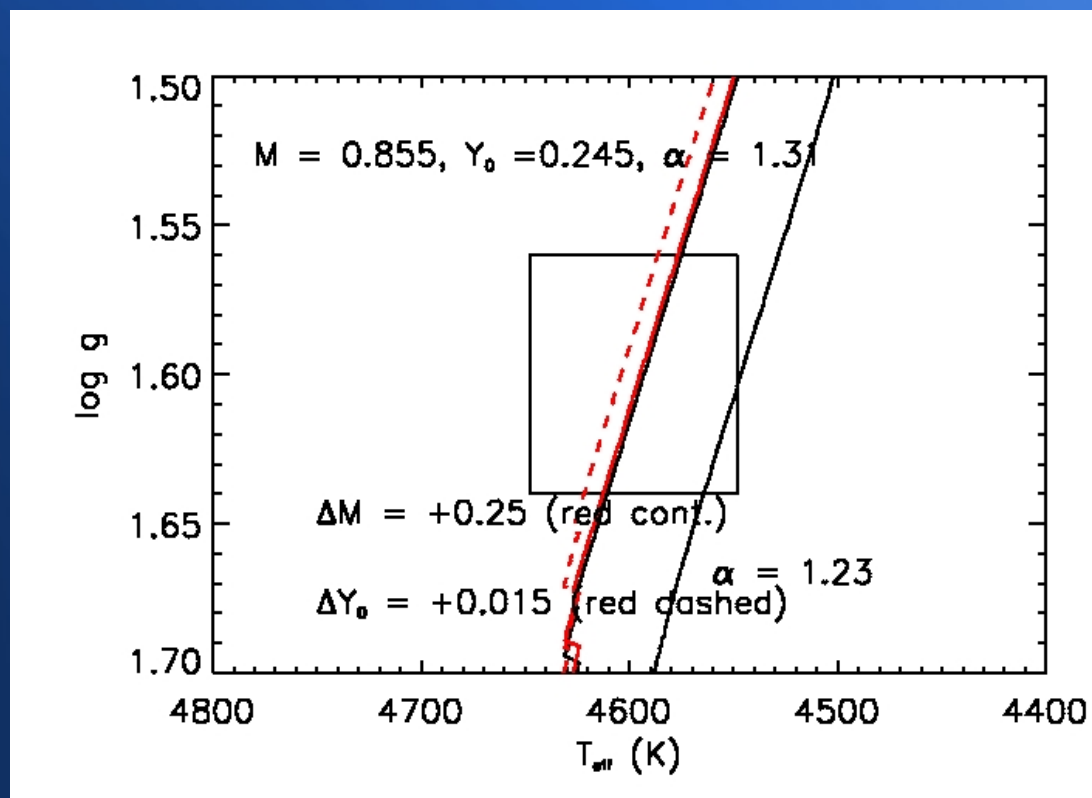
Star	Estimated	Modelled
Gmb 1830 (MS)	0.75	0.65
HD 140283 (TO)	1.22	1.20 **
HD 122563 (G)	1.40	1.31

# Mixing-length parameter

Log g versus Teff

HD122563 (G. Bono)

With VEGAS we could reliably determine  $\alpha$  with high precision for a large number of targets.



# Specific science cases

1. NGC 6633; observed by CoRoT

Several red giants:  $\theta_{\text{pred}} = 0.80, 0.38, 0.31$

$V = 7.3 - 8.7$

2. Kepler stars  $6 < V < 12$

**Merci**